

# Fair Risk Predictions for Underrepresented Populations Using Electronic Health Records

Judy Zhong

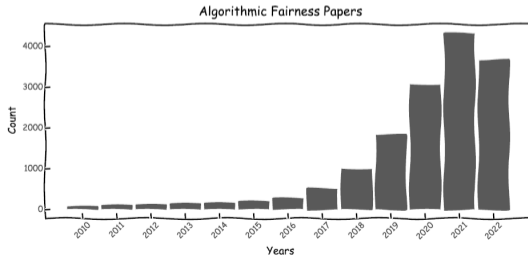
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# Introduction

- In recent years, the machine learning community has become alert to the ways that predictive models can introduce unfairness in decision-making.
- Unfairness is defined as the disparity in prediction performances between subgroups<sup>1</sup>.
- Examples include: recidivism prediction, credit worthiness, facial recognition, job recommendation/listing, ...
- To address this issue, there has been a significant body of work in the machine learning community on algorithmic fairness.



<sup>1</sup>e.g. race/ethnicity, gender

# Introduction

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- The healthcare community also became alert to this problem ([Mhasawade et al., 2021](#); [Fuster et al., 2022](#); [Xu et al., 2022](#)). For example, we found substantial disparities in the Electronic Health Record (EHRs):
  - Minority patients and patients with disadvantaged social determinants of health are often under-represented in terms of sample sizes, number of encounters, and number of lab results (predictors)
- Despite all these efforts, most of the existing work has focused on predictions for binary classification.
- Thus, there is a gap between the practical use of models for various types of outcomes (e.g. count data) and the development of fairness-aware methodologies for those models.
- In this study, we develop a framework **to achieve fair predictions**.

# Introduction

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Do the prediction performance disparities exist?

.. if we apply generalized linear models?

# Introduction

## Motivating Example: Performance Disparity of GLMs on Benchmark Datasets

Outcome Type	Dataset	Group (K)	Test MSE	Disparity <sup>a</sup>	Rel. Disp.(Disp./MSE)
Binary	Adult	Gender (2)	0.105	0.023	21%
	Arrhythmia	Gender (2)	0.258	0.029	11%
	COMPAS	Race (4)	0.211	0.004	2%
	Drug	Race (2)	0.112	0.092	20%
	German	Gender (2)	0.183	0.045	25%
Continuous	Crime	Race (3)	0.057	0.092	163%
	Law School	Race (5)	0.840	0.148	18%
	Parkinsons	Gender (2)	93.112	31.416	34%
	Student	Gender (2)	0.677	0.203	30%
Count	HRS	Race (4)	0.579	0.300	52%
Multiclass	Drug	Race (2)	0.079	0.005	7%
	HCV	Gender (2)	0.020	0.015	76%
	Obesity	Gender (2)	0.062	0.032	51%

<sup>a</sup>average absolute difference of groupwise MSEs

# Objective

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- Goal: Develop a fair Generalized Linear Model to reduce the prediction performance disparity between subgroups, while not decreasing the overall performance as much as possible

# Demographic Parity

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- Suppose we are given  $K$  groups defined by a *sensitive attribute*  $A$  (e.g. race/ethnicity, gender, or such).

**Definition: Demographic Parity (Kamiran and Calders, 2009; Hardt et al., 2016)**

A GLM satisfies *demographic parity* (DP) if its prediction  $f(\mathbf{X})$  is statistically independent of the sensitive attribute  $A$ . That is,  $\mu(\mathbf{X}\beta) \perp\!\!\!\perp A$ .

# Fair GLMs

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Thus, the MMD fairness penalty term is:

$$\mathcal{D}(\beta; \mathbf{X}, \mathbf{a}) = \sum_{k < l} \text{MMD}^2(\mathbf{X}_k \beta, \mathbf{X}_l \beta). \quad (1)$$

$$\hat{\beta}_{\text{FGLM}} = \underset{\beta}{\text{argmin}} \quad - \sum_{k=1}^K \sum_{i=1}^{n_k} \ell(\beta; \mathbf{x}_{ki}, y_{ki}) + \lambda \mathcal{D}(\beta; \mathbf{X}, \mathbf{a}). \quad (2)$$



# Case Study

## Motivating Example Revisited

Outcome	Dataset	GLM		FGLM-LMMD		FGLM-GMMD	
		MSE	Rel. Disp.	MSE	Rel. Disp.	MSE	Rel. Disp.
Binary	Arrhythmia	0.27	11%	0.28 ( $\blacktriangle 0.01$ )	10% ( $\blacktriangledown 1\%p$ )	0.27 ( $\blacktriangle 0.01$ )	0% ( $\blacktriangledown 11\%p$ )
	COMPAS	0.21	2%	0.22 ( $\blacktriangle 0.01$ )	1% ( $\blacktriangledown 1\%p$ )	0.22 ( $\blacktriangle 0.01$ )	1% ( $\blacktriangledown 1\%p$ )
	Drug	0.11	15%	0.11 $(0.00)$	17% ( $\blacktriangle 2\%p$ )	0.11 $(0.00)$	12% ( $\blacktriangledown 3\%p$ )
	German	0.18	24%	0.19 ( $\blacktriangle 0.01$ )	21% ( $\blacktriangledown 3\%p$ )	0.18 $(0.00)$	21% ( $\blacktriangledown 3\%p$ )
Continuous	Crime	0.06	148%	0.04 ( $\blacktriangledown 0.02$ )	72% ( $\blacktriangledown 76\%p$ )	0.04 ( $\blacktriangledown 0.02$ )	70% ( $\blacktriangledown 78\%p$ )
	Parkinsons	97.8	35%	92.6 ( $\blacktriangledown 5.2$ )	34% ( $\blacktriangledown 1\%p$ )	95.8 ( $\blacktriangledown 2.0$ )	27% ( $\blacktriangledown 7\%p$ )
	Student	0.67	30%	0.67 $(0.00)$	29% ( $\blacktriangledown 1\%p$ )	0.67 $(0.00)$	29% ( $\blacktriangledown 1\%p$ )
Count	HRS	0.58	52%	0.59 ( $\blacktriangle 0.01$ )	50% ( $\blacktriangledown 2\%p$ )	0.58 $(0.00)$	47% ( $\blacktriangledown 5\%p$ )
Multiclass	Drug	0.08	4%	0.08 $(0.00)$	2% ( $\blacktriangledown 2\%p$ )	0.08 $(0.00)$	0% ( $\blacktriangledown 4\%p$ )
	HCV	0.02	41%	0.02 $(0.00)$	32% ( $\blacktriangledown 9\%p$ )	0.02 $(0.00)$	5% ( $\blacktriangledown 36\%p$ )
	Obesity	0.06	36%	0.06 $(0.00)$	35% ( $\blacktriangledown 1\%p$ )	0.07 ( $\blacktriangle 0.01$ )	20% ( $\blacktriangle 16\%p$ )

\*Hyperparameters of the fair models are selected for their MSEs to remain below 110% of GLM's MSE

# Conclusion

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- The naive method may generate disparate prediction performances for the under-represented subpopulations
- The proposed fair model can effectively reduce prediction disparity while maintaining the overall prediction performances
- It is applicable to most types of outcomes

# Future Directions

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- **Parent R01 Project:** Apply the fair GLMs to improve prediction fairness for the under-represented sub-populations in the presence of unbalanced sample sizes and covariates
- **Methodological Directions** Improve the fair GLMs with mis-labeled sensitive attributes and missing data, which often are found in EHRs
- **Time-to-event Models** Fairness-aware survival analysis methods have gotten less attention so far. A similar approach could be applied to survival analysis models.

# References and Publications

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